PM SHRI KENDRIYA VIDYALAYA NO.3 AFS-2 JAMNAGAR

Subject: Mathematics

Holiday homework for Autumn Break

Class - 9th

- Complete your fair notebook upto chapter no. 7.
- 2. Solve question paper of PT-2 exam in fair notebook.
- Complete your portfolio of Mathematics as per the format provided. It must be handwritten.
- Complete lab activities no. 5 and 6 in practical notebook.

Portfolio Subject: Mathematics

Class:-9

Session:-2024-25

Name : _____

School:_____

Section:____

Roll No:_____

<u>Acknowledgement</u>

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I would like to express my special thanks of gratitud	1/2
as well as our school Prince who gave me the excellent opportunity to do this also helped me in doing a lot of Research	
I am really thankful to them. Secondly, I would also friends who helped me a lot in finishing this Port Just because of them I was able to complete it.	
I am making this Portfolio not only for marks knowledge.	but to also to improve my
Thanks again to all who helped me.	
	Name of student .

	<u>Certificate</u>	
	This is to certify that the Portfolio is submitted by the	
	under the supervision of	
	(your teacher's name)in the academic year 2024-25	
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S.No	Activity / Assignment	Page Number	Submitted on	Marks (5)	Teacher Sign
1	Assignment no. 1 Write all the important formulas of each chapter.				
2	Assignment no. 2 Solve Sample question paper.				

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MAX. MARKS: 40 CLASS: IX DURATION: 1½ hrs

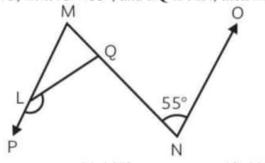
General Instructions:

- All questions are compulsory.
- (ii). This question paper contains 20 questions divided into five Sections A, B, C, D and E.
- (iii). Section A comprises of 10 MCQs of 1 mark each. Section B comprises of 4 questions of 2 marks each. Section C comprises of 3 questions of 3 marks each. Section D comprises of 1 question of 5 marks each and Section E comprises of 2 Case Study Based Questions of 4 marks each.
- (iv). There is no overall choice.
- (v). Use of Calculators is not permitted

SECTION - A

Questions 1 to 10 carry 1 mark each.

1. In the given figure, if PM || NO, \angle MNO = 55°, and LQ \perp MN, then \angle PLQ is equal to:



- (a) 110°
- (b) 125°
- (c) 145°
- (d) 115°
- 2. The point whose ordinate is 9 and which lies on y-axis is:
 - (a) (9, 0)
- (b)(0,9)
- (c) (1, 9)
- (d)(0-9)
- 3. Ram shared his location in coordinates as (4, 3) with his friend. What is the abscissa of in shared coordinates?
 - (a) -4
- (b) 4
- (c) 3
- (d) -3
- **4.** It is known that if P = Q and X = Y then, P X = Q Y. The Euclid's axiom that illustrates this statement is:
 - (a) first axiom
- (b) second axiom
- (c) third axiom
- (d) fourth axiom

- 5. Which of the following statement is false?
 - (a) A straight line may be drawn from any one point to any other point.
 - (b) A terminated line cannot be produced indefinitely.
 - (c) A circle can be drawn with any center and any radius.
 - (d) All right angles are equals to one another.
- 6. Jitu was given a riddle by Pragya who stated that an angle is 24° less than its complementary angle. The angle's measure is:
 - (a) 36°

(b) 33°

- (c) 66°
- (d) 57°
- 7. John is of the same age as Mohan. Ram is also of the same age as Mohan. Which Euclid's axiom illustrates the relative ages of John and Ram?
 - (a) first axiom
- (b) second axiom
- (c) third axiom
- (d) fourth axiom

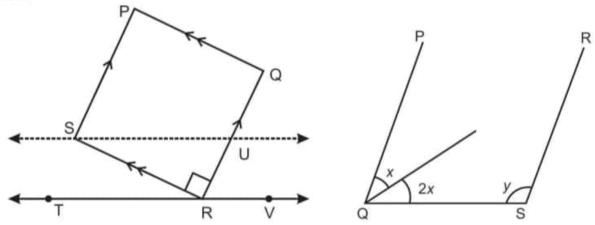
- 8. Find the coordinates of the vertices of a rectangle whose length and breadth are 8 and 4 units respectively, one vertex is at the origin, the longer side lies on the y-axis and one of the vertices lies in the second quadrant.
 - (a) (-4, 8), (0, 8), (0, 0), (-4, 0)
 - (b) (-4, -8), (0, -8), (0, 0), (-4, 0)
 - (c) (4, 8), (0, 8), (0, 0), (4, 0)
 - (d) (-4, 8), (0, -8), (0, 0), (-4, 0)

In the following questions 9 and 10, a statement of assertion (A) is followed by a statement of Reason (R). Choose the correct answer out of the following choices.

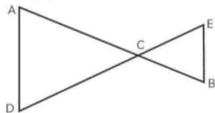
- (a) Both A and R are true and R is the correct explanation of A.
- (b) Both A and R are true but R is not the correct explanation of A.
- (c) A is true but R is false.
- (d) A is false but R is true.
- Assertion (A): Point P(1, -2) lies in IV quadrant.
 Reason (R): In the Cartesian system, x and y coordinates of IV quadrant are positive and negative respectively.
- 10. Assertion (A): Two adjacent angles always form a linear pair.
 Reason (R): In a linear pair of angles, two non-common arms are opposite rays.

<u>SECTION - B</u> Questions 11 to 14 carry 2 marks each.

11. The figure given below represents the sides view of a mystery spot, if ∠SRT = 25°, then find ∠SUR.

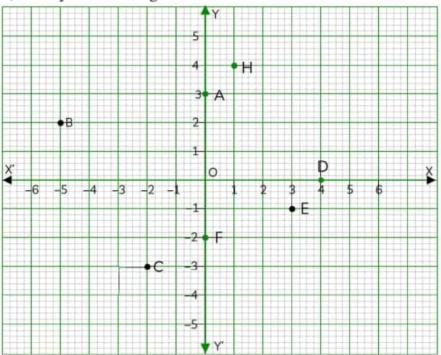


- 12. In the given above right sided figure, $PQ \parallel RS$, and x : y = 2 : 3, then find the value of y.
- **13.** Which of the following points lie on the y-axis? A(1, 1), B(1, 0), C(0, 1), D(0, 0), E(0, -1), F(-1, 0), G(0, 5), H(-7, 0), I(3,3)
- 14. In the given figure AC = DC, CB = CE, then show that AB = DE using Euclid's axiom.

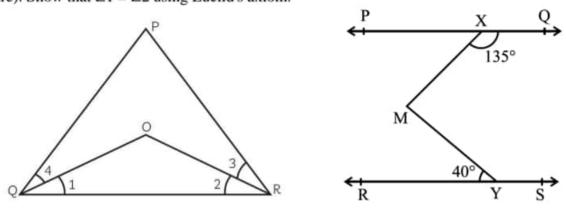


Questions 15 to 17 carry 3 marks each.

15. From the figure, identify the following:



- (a) Coordinates of B, C and E.
- (b) The point identified by the coordinates (0, -2).
- (c) The abscissa of the point H.
- 16. Ramesh draw a triangle on the blackboard where $\angle PQR = \angle PRQ$, $\angle 4 = \angle 3$ (see below left figure). Show that $\angle 1 = \angle 2$ using Euclid's axiom.



17. In the above right sided figure, if PQ || RS, \angle MXQ = 135° and \angle MYR = 40°, find \angle XMY.

<u>SECTION – D</u> Questions 18 carry 5 marks.

- 18. (a) If a transversal intersects two lines such that the bisectors of a pair of corresponding angles are parallel, then prove that the two lines are parallel. (3)
 - (b) An angle is 20° more than three times the given angle. If the two angles are supplementary, then find the angles. (2)

SECTION – E (Case Study Based Questions)

Questions 19 to 20 carry 4 marks each.

19. Swastik and Samar are classmates and they have participated in Inter-School Sports Carnival. This event has been organised on a rectangular ground PQRS. In the ground PQRS, lines have been drawn at a distance of 1 m each and 200 plants have also been planted at a distance of 1 m from each other along PQ. Swastik runs 1/5 of the distance PQ on the second line and throws a Javelin and Samar runs 1/4 of the distance PQ on the 7th line and throws the Javelin.



Read the above information and answer the following questions:

- (a) Find the coordinates at which Swastik stands to throw Javelin.
- (b) Find the coordinates at which Samar stands to throw Javelin.
- (c) Coordinates of the point where Swastik threw Javelin lie in which quadrant?
- (d) If the coordinates of two points are A(2, 90) and B(4, 60), then find (Abscissa of B) (Abscissa of A).
- 20. In a school, the principal decided to celebrate Saraswati Puja and organized the event schedule based on the school clock. The celebration took place on a special day when the school's operating hours were from 10 am to 8 pm. The entire program was meticulously planned to align with these extended hours, ensuring participation from students and staff.



- (a) If the first function of pooja starts at 11 am, then find the angle made by hour hand since the school's opening time.
- (b) Find the angle made by an hour hand in 50 minutes.
- (c) if one of the angles of a linear pair is 75°, then find the other angle.

Activity no. 5 Triangles

OBJECTIVE: To verify the exterior angle property of a triangle

PRE-REQUISITE KNOWLEDGE

- Linear pair axiom
- · Exterior angle property of a triangle
- · Triangles and their various properties

MATERIALS REQUIRED

- · Gardboard
- · Geometry box with pencil
- Sketch pens

- Glazed papers
- · A pair of scissors
- · Adhesive fevicol/gum etc.
- · Drawing sheet
- · Tracing paper

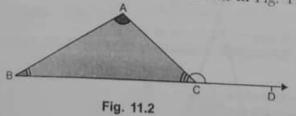
PROCEDURE -

- (i) Take a cardboard of a convenient size and paste a white sheet of paper on it.
- (ii) Cut out a triangle from a glazed paper and name it as $\triangle ABC$. Paste it on the cardboard, as shown in Fig. 11.1.



Fig. 11.1

(iii) Produce the side BC of the triangle to a point D as shown in Fig. 11.2.



(iv) Cut out the angles from the drawing sheet equal to $\angle A$ and $\angle B$ using a tracing paper [See Fig. 11.3]



Fig. 11.3

(v) Place the two cut out angles as shown in Fig. 11.4.

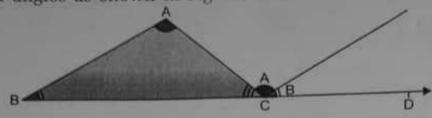


Fig. 11.4

OBSERVATION

Measure of $\angle A = \dots$, Measure of $\angle B = \dots$,

Sum $(\angle A + \angle B) = \dots$, Measure of $\angle ACD = \dots$.

From Fig. 11.2, we observe that

∠ACD is an exterior angle.

 $\angle A$ and $\angle B$ are its two interior opposite angles.

In Fig. 11.4, the two cut out angles, i.e., $\angle A$ and $\angle B$ together exactly cover $\angle ACD$.

Therefore, $\angle ACD = \angle A + \angle B$.

RESULT____

We have verified the exterior angle property of a triangle.

Triangles Activity no. 6

OBJECTIVE: To verify experimentally the different criteria for congruency of triangles using triangle cut outs

PRE-REQUISITE KNOWLEDGE

Concept of congruent triangles

MATERIALS REQUIRED

- · Glazed papers
- · A pair of scissors
- · White sheet of paper

- · Geometry box
- · Cardboard
- · Adhesive fevicol/gum etc.

PROCEDURE

- (i) Take a cardboard of a convenient size and paste a white sheet of paper on it.
- (ii) Cut out a triangle ABC from red glazed paper. Cut out another triangle DEF from red glazed paper such that DE = AB, EF = BC and DF = AC (See Fig. 13.1).





Fig. 13.1

(iii) Cut out a pair of triangles GHI and JKL from green glazed paper such that $\angle H = \angle K$, HI = KL and $\angle I = \angle L$ (See Fig. 13.2).

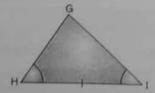




Fig. 13.2



(iv) Cut out a pair of triangles PQR and STU from blue glazed paper such that PQ = ST, $\angle Q = \angle T$ and QR = TU (See Fig. 13.3).

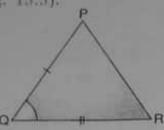
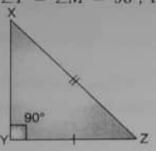


Fig. 13.3

(v) Again cut out a right angled triangle XYZ from yellow glazed paper. Cut out another triangle LMN such that $\angle Y = \angle M = 90^{\circ}$, hypotenuse XZ = LN and YZ = MN (See Fig. 13.4).



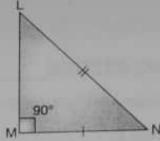


Fig. 13.4

OBSERVATIONS

- 1. In Fig. 13.1, $\triangle ABC$ covers $\triangle DEF$ exactly. It means $\triangle ABC$ is congruent to $\triangle DEF$ (SSS congruence).
- 2. In Fig. 13.2, ΔGHI covers ΔJKL exactly. It means ΔGHI is congruent to ΔJKL (ASA congruence).
- 3. In Fig. 13.3, ΔPQR covers ΔSTU exactly. It means ΔPQR is congruent to ΔSTU (SAS congruence).
- 4. In Fig. 13.4, ΔXYZ covers ΔLMN exactly. It means ΔXYZ is congruent to ΔLMN (RHS congruence).

RESULT___

We have verified experimentally the different criteria for congruency of triangles using triangle cut outs.